



A Spectroscopic Test of the Bose-Einstein Statistics of Photons

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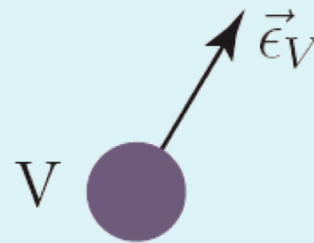
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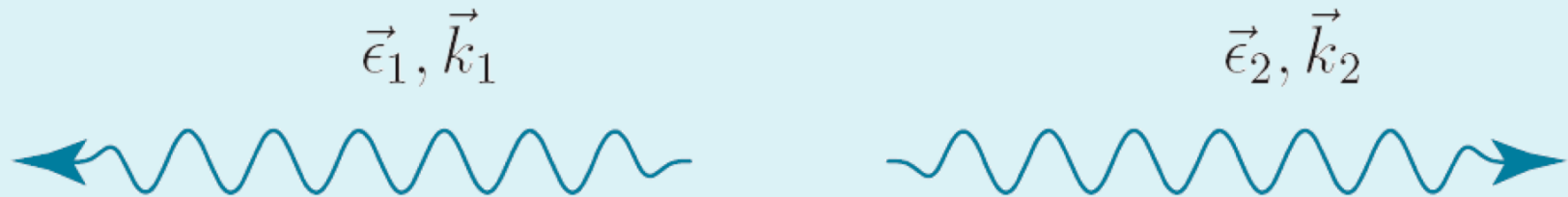
The principle of the experiment

According to the Landau-Yang theorem, there are some things bosonic photons simply won't do.

Initial



Final



Decay of vector particle V to two photons, in the rest frame of V , $k_1 = -k_2$.

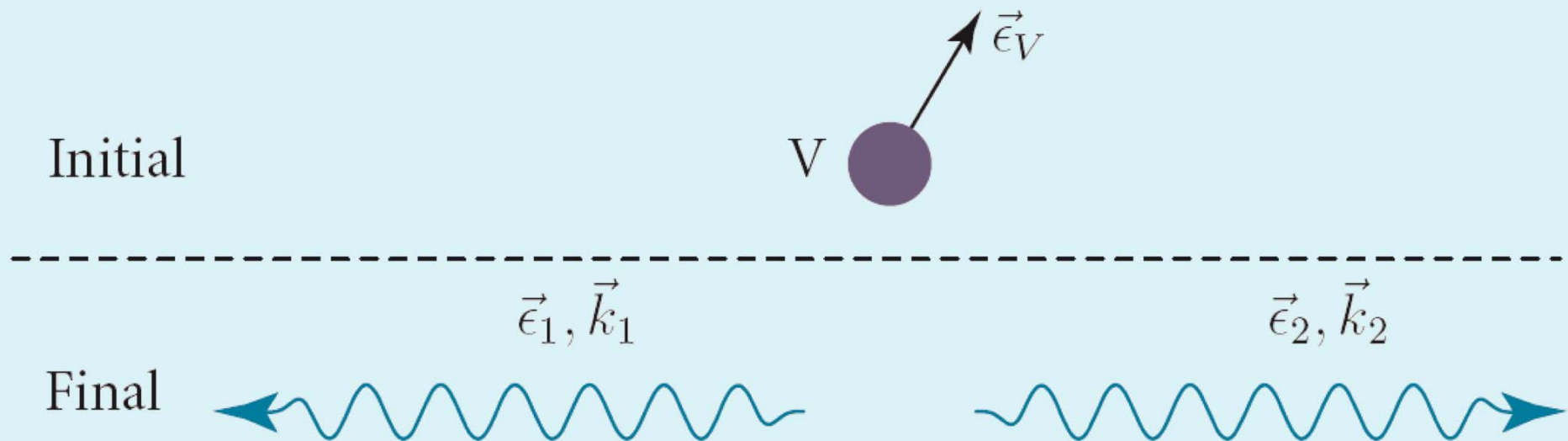
L. D. Landau, Dokl. Akad. Nauk SSSR **60**, 207 (1948)

C. N. Yang, Phys. Rev. **77**, 242 (1950)



The principle of the experiment

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Decay of vector particle V to two photons, in the rest frame of V , $k_1 = -k_2$.

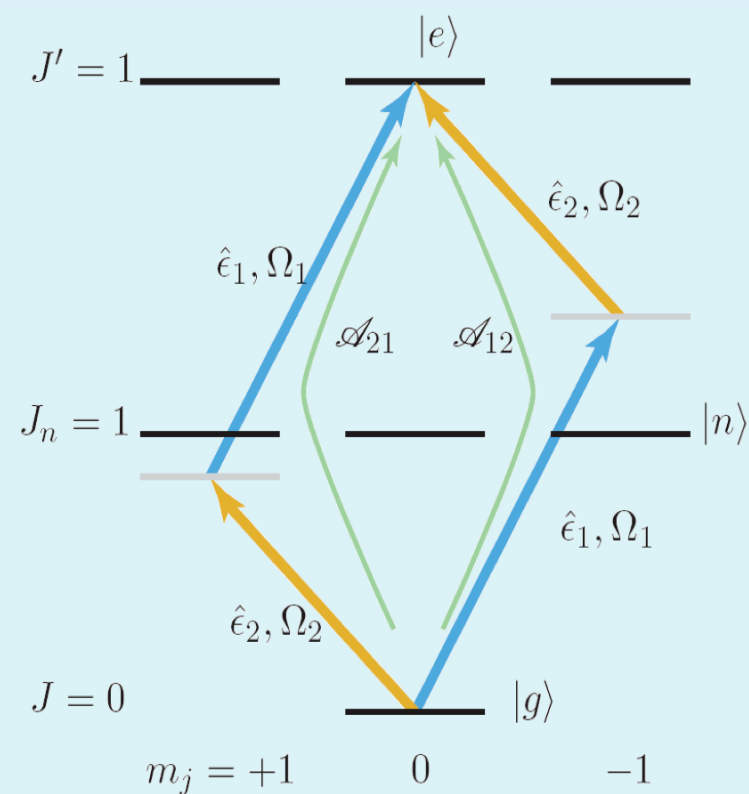
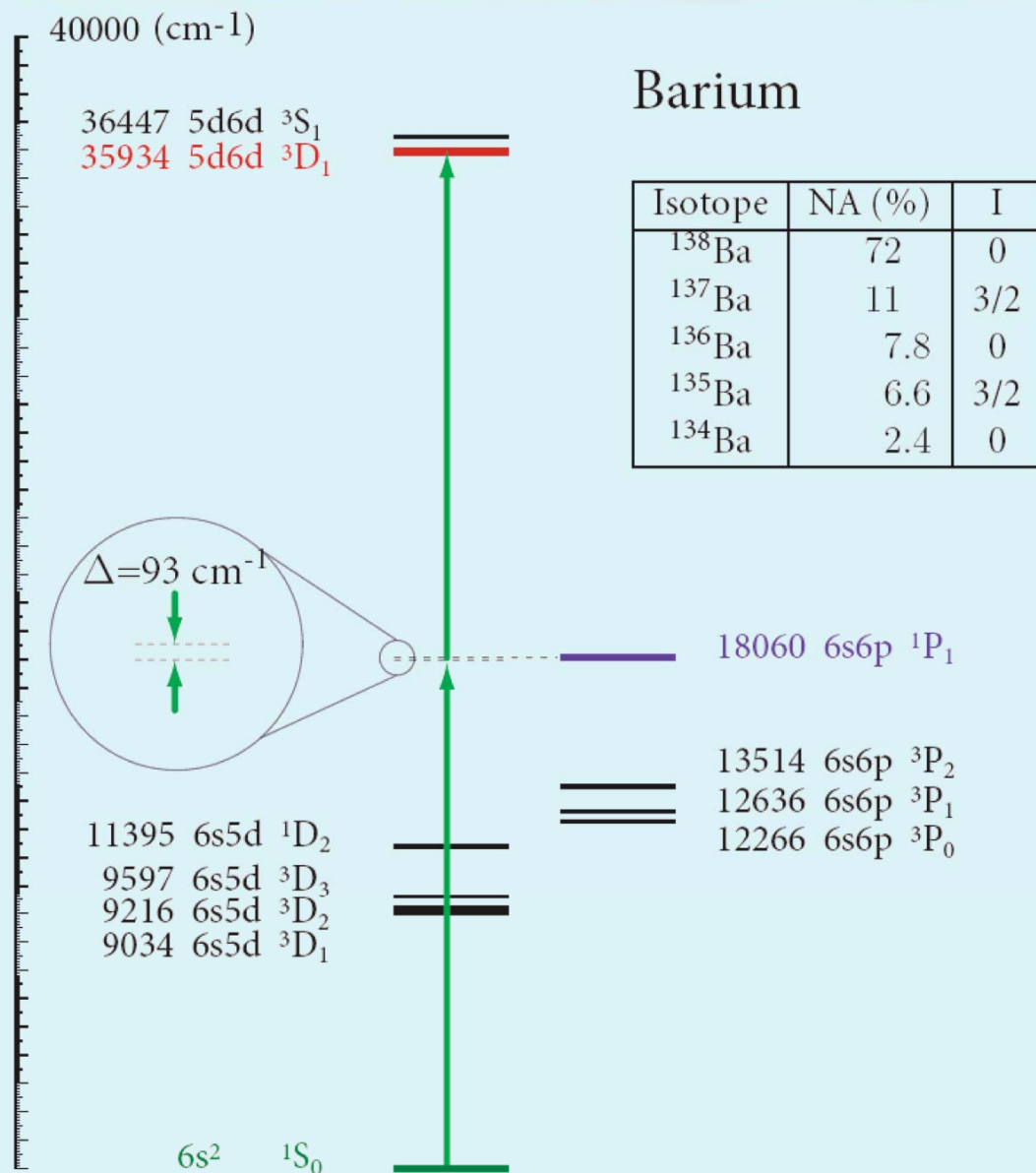
Final state 2- γ WF must be proportional to... $\vec{\epsilon}_1 \times \vec{\epsilon}_2$

or... $(\vec{\epsilon}_1 \cdot \vec{\epsilon}_2) \vec{k}$

or... $\vec{k} \times (\vec{\epsilon}_1 \times \vec{\epsilon}_2) = \vec{\epsilon}_1 (\vec{k} \cdot \vec{\epsilon}_2) - \vec{\epsilon}_2 (\vec{k} \cdot \vec{\epsilon}_1)$



T-reversed LY violation in atoms.





Atomic two- γ transition

$$W = \frac{2\pi}{\hbar^4} \times \left| \sum_n \left(\overbrace{\frac{\langle e | \hat{\epsilon}_1 \cdot \mathcal{D} | n \rangle \langle n | \hat{\epsilon}_2 \cdot \mathcal{D} | g \rangle}{\omega_{ng} - \Omega_2 + i\Gamma_n/2}}^{\mathcal{A}_{12}^{(n)}} + \overbrace{\frac{\langle e | \hat{\epsilon}_2 \cdot \mathcal{D} | n \rangle \langle n | \hat{\epsilon}_1 \cdot \mathcal{D} | g \rangle}{\omega_{ng} - \Omega_1 + i\Gamma_n/2}}^{\mathcal{A}_{21}^{(n)}} \right) \right|^2$$

$$\times \frac{1}{\pi} \frac{\Gamma/2}{(\Omega_1 + \Omega_2 - \omega_{eg})^2 + (\Gamma/2)^2} \frac{\bar{I}_1 \bar{I}_2}{4\epsilon_0^2 c^2},$$

$|g\rangle, |n\rangle, |e\rangle$: ground-, intermediate-, excited-state

Γ_n, Γ : intermediate-, excited-state natural widths

$\hat{\epsilon}_{1,2}, \Omega_{1,2}$: polarization & energy of photon 1,2

$\omega_{kl} \equiv \omega_k - \omega_l$: energy difference between states k & l

\mathcal{D} : Dipole moment operator



Atomic two- γ transition

$$W_{\pm} = \frac{2\pi}{\hbar^4} \times \left| \sum_n \frac{\langle e | \hat{\epsilon}_1 \cdot \mathcal{D} | n \rangle \langle n | \hat{\epsilon}_2 \cdot \mathcal{D} | g \rangle}{\omega_{ng} - \Omega_2 + i\Gamma_n/2} \pm \frac{\langle e | \hat{\epsilon}_2 \cdot \mathcal{D} | n \rangle \langle n | \hat{\epsilon}_1 \cdot \mathcal{D} | g \rangle}{\omega_{ng} - \Omega_1 + i\Gamma_n/2} \right|^2$$

$$\times \frac{1}{\pi} \frac{\Gamma/2}{(\Omega_1 + \Omega_2 - \omega_{eg})^2 + (\Gamma/2)^2} \frac{\bar{I}_1 \bar{I}_2}{4\epsilon_0^2 c^2}$$

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Atomic two- γ transition $J = 0 \rightarrow J' = 1$

$$W_{\pm} = \frac{2\pi}{\hbar^4} \times \frac{\mathcal{D}_1^2 \mathcal{D}_2^2}{2} |f_{\pm}|^2 \\ \times \frac{1}{\pi} \frac{\Gamma/2}{(\Omega_1 + \Omega_2 - \omega_{eg})^2 + (\Gamma/2)^2} \frac{\bar{I}_1 \bar{I}_2}{4\epsilon_0^2 c^2}$$

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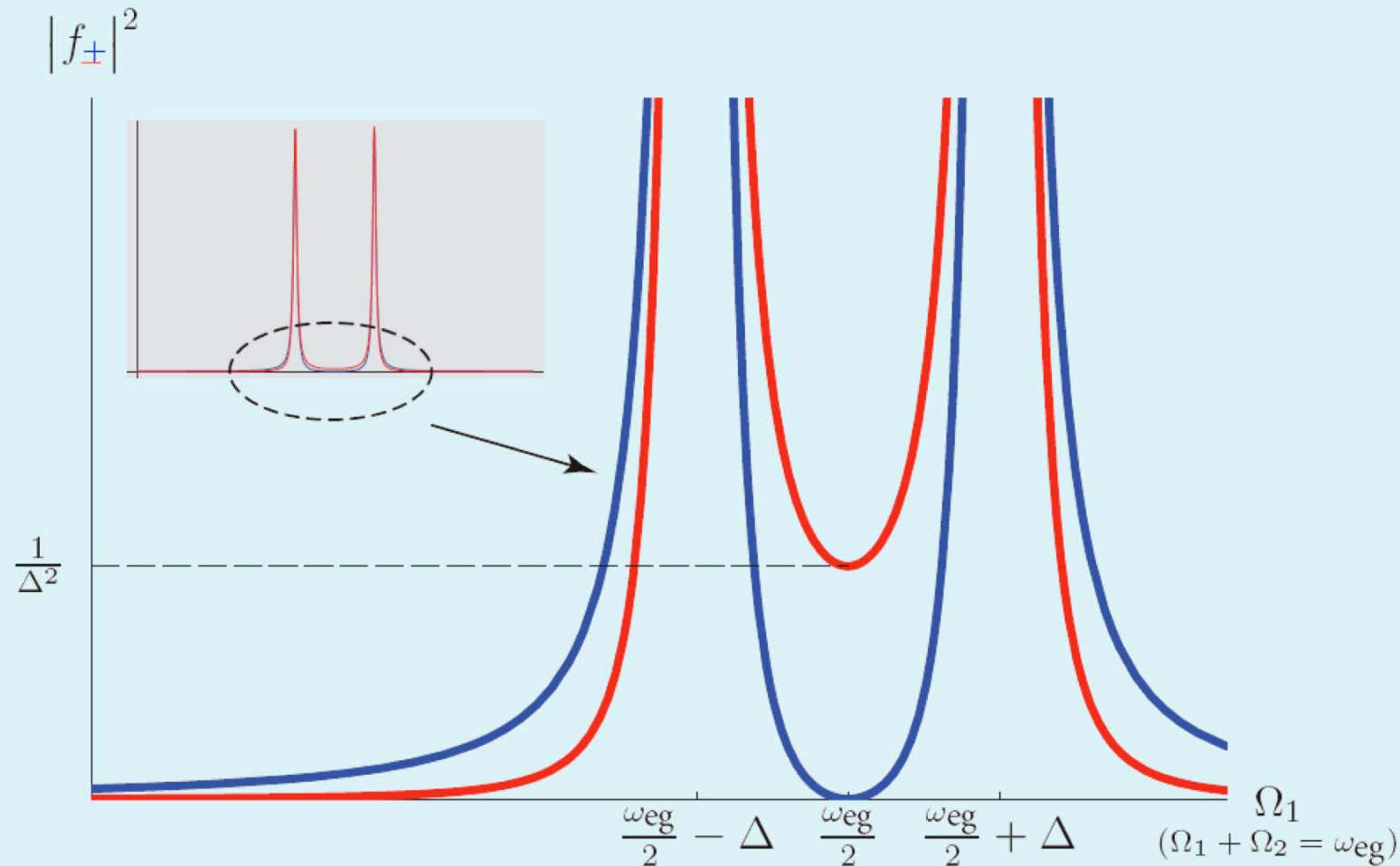
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Atomic two- γ absorption

$$W_{-} = \frac{2 \mathcal{D}_1^2 \mathcal{D}_2^2 \bar{I}_1 \bar{I}_2}{\Gamma \hbar^4 \Delta^2 \epsilon_0^2 c^2} \left(1 + \frac{\delta^2}{\Delta^2} \right)^{-2}$$

$$W_{+} = \left[W_{-} \frac{\delta^2}{\Delta^2} \right]$$

$$W_{\text{measured}} = W_{+} + \nu W_{-} + W_{\text{backgrounds}}$$
$$\Rightarrow \nu \leq \nu_{\text{limit}} = W_{\text{backgrounds}} / W_{-}$$

$$\Rightarrow \nu_{\text{limit}} \propto W_{\text{backgrounds}} \times \frac{\Gamma \Delta^2}{\mathcal{D}_1^2 \mathcal{D}_2^2 I^2}$$

$$\nu = \frac{S(\omega_H)}{S(\omega_H + \delta)} \frac{\delta^2}{\Delta^2}$$



15 NOVEMBER 1999

Vertical pol.
A. 549 nm
B. 566 nm

Pol. BS

BS

Wavemeter

436 nm filter

PMT

Ba vapor cell

Horizontal pol.
A. 549 nm
B. 532 nm

Dye Laser
(549 or 566 nm)

Flip-up mirror

BS

Pulsed Nd:YAG Laser
(532 nm)



Summary of Previous Experiment

- $\nu = 1.2 \times 10^{-7}$
- Ba vapor cell
- Pulsed lasers
- Limited by laser linewidth

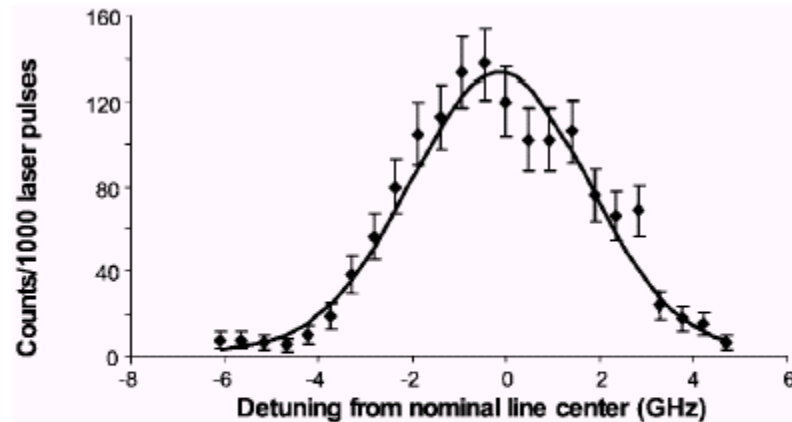


FIG. 3. Typical scan through the nondegenerate calibration transition (points) and fit to determine peak height and linewidth (solid line). Taken with $230 \mu\text{J}/\text{pulse}$ at 566 nm and $0.4 \mu\text{J}/\text{pulse}$ at 532 nm .

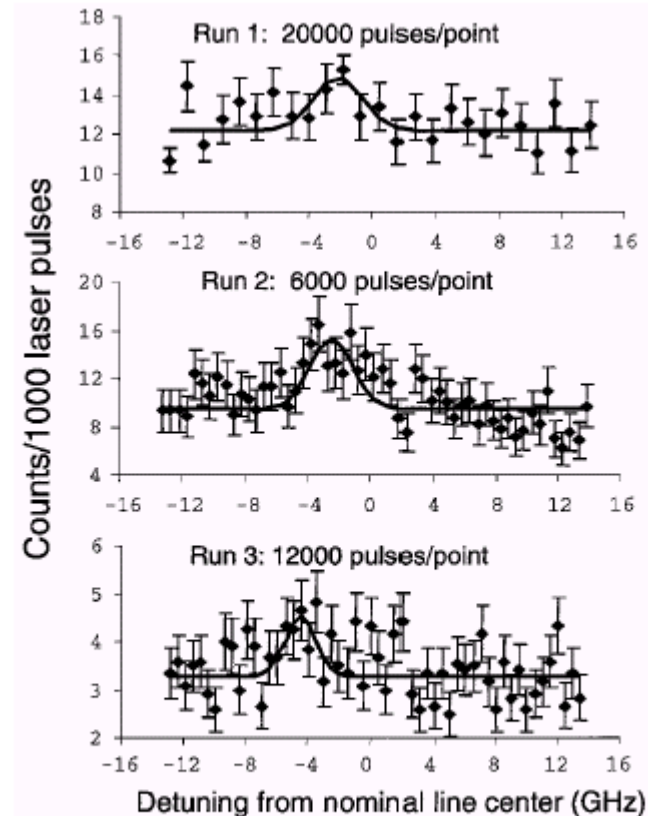
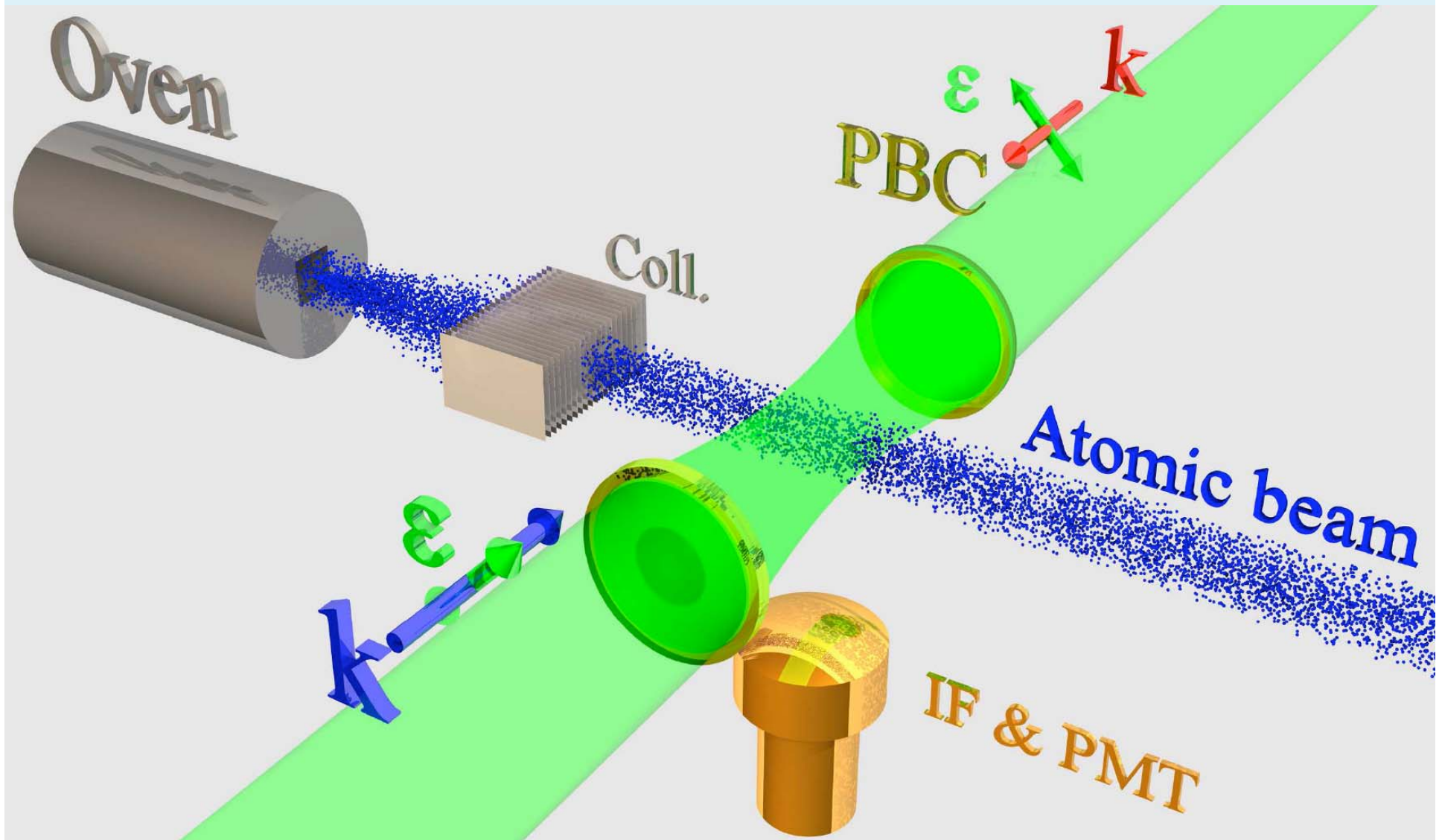


FIG. 4. Scans through the degenerate transition and best fits to peak plus background.

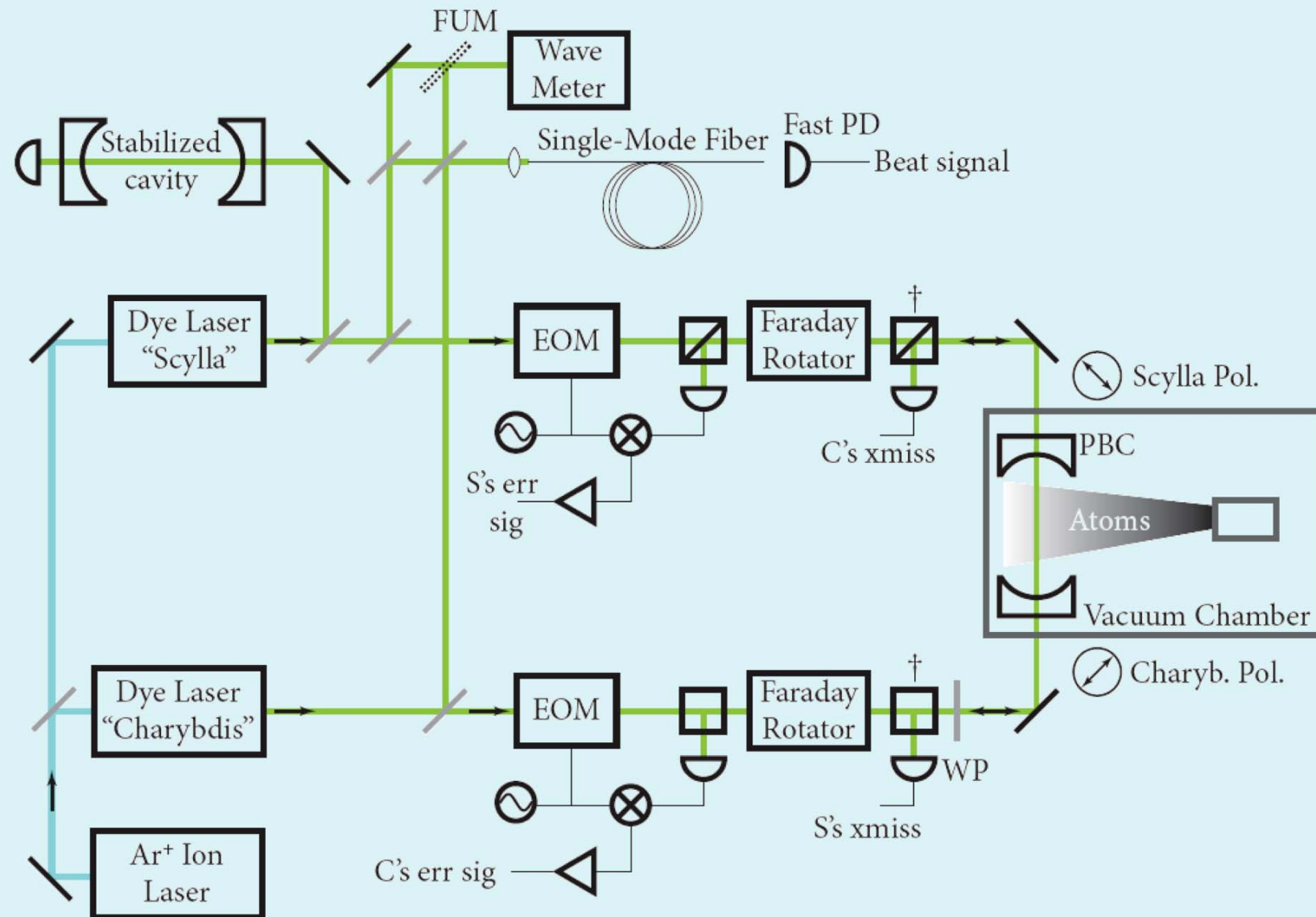


The New Apparatus





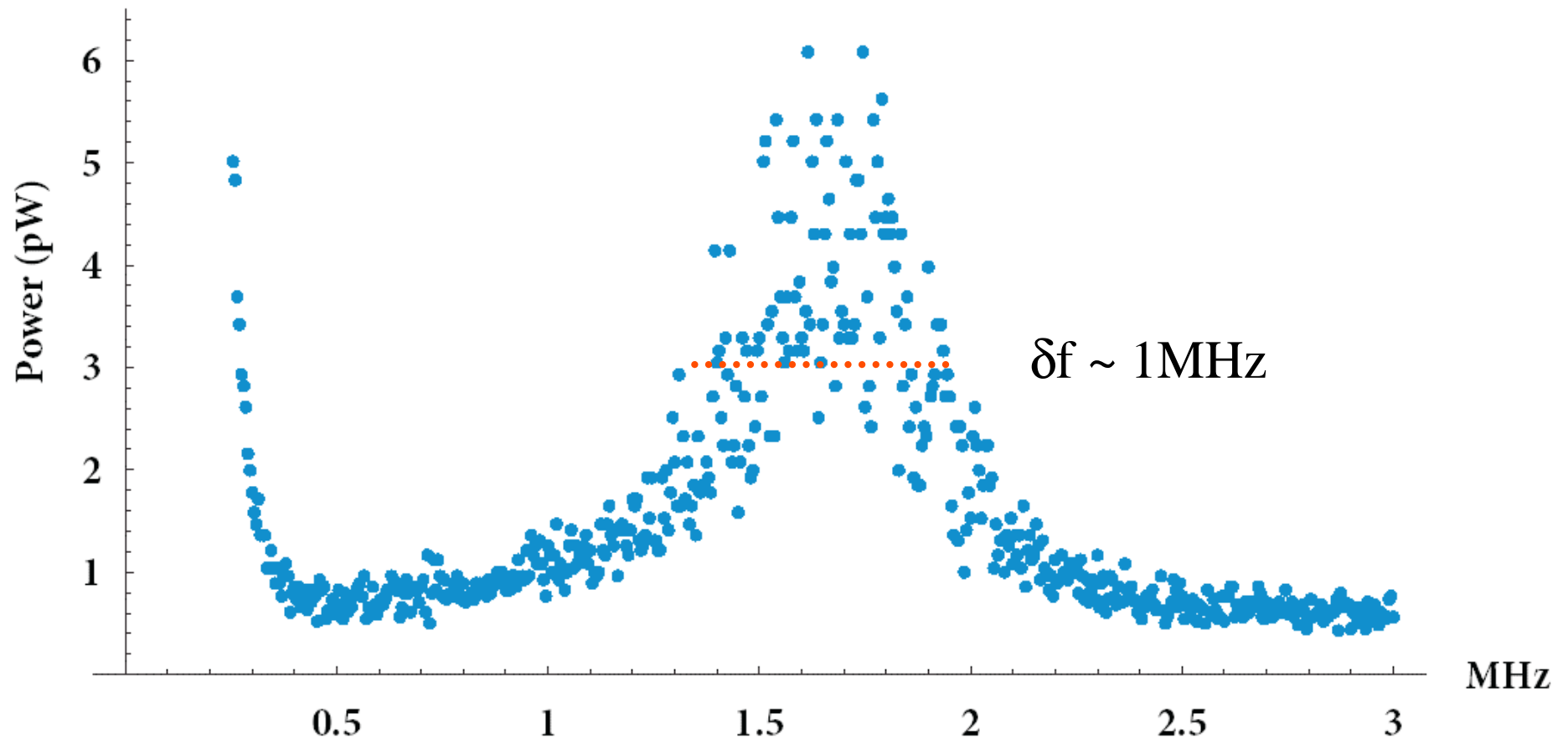
New Apparatus: Optical Schematic

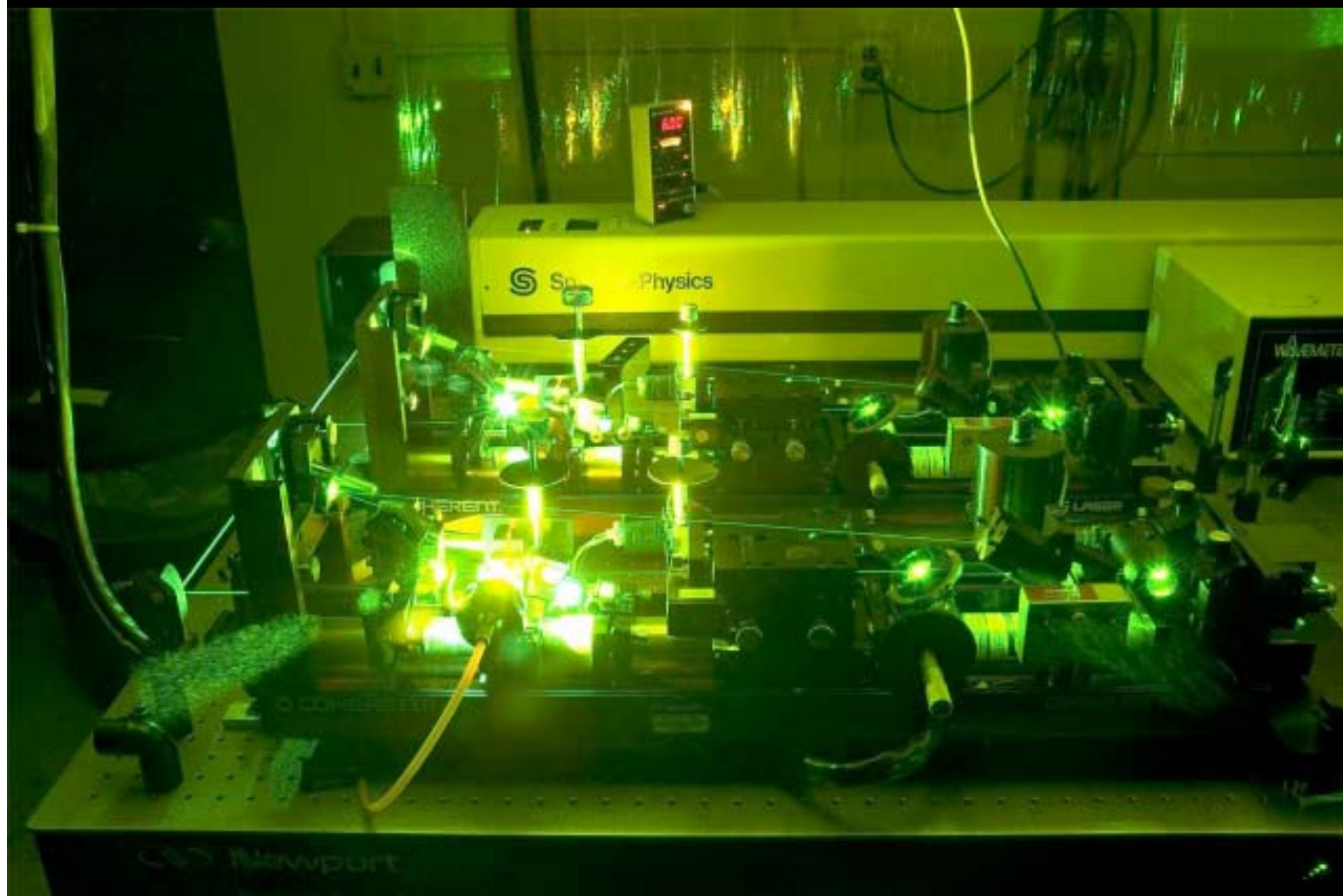


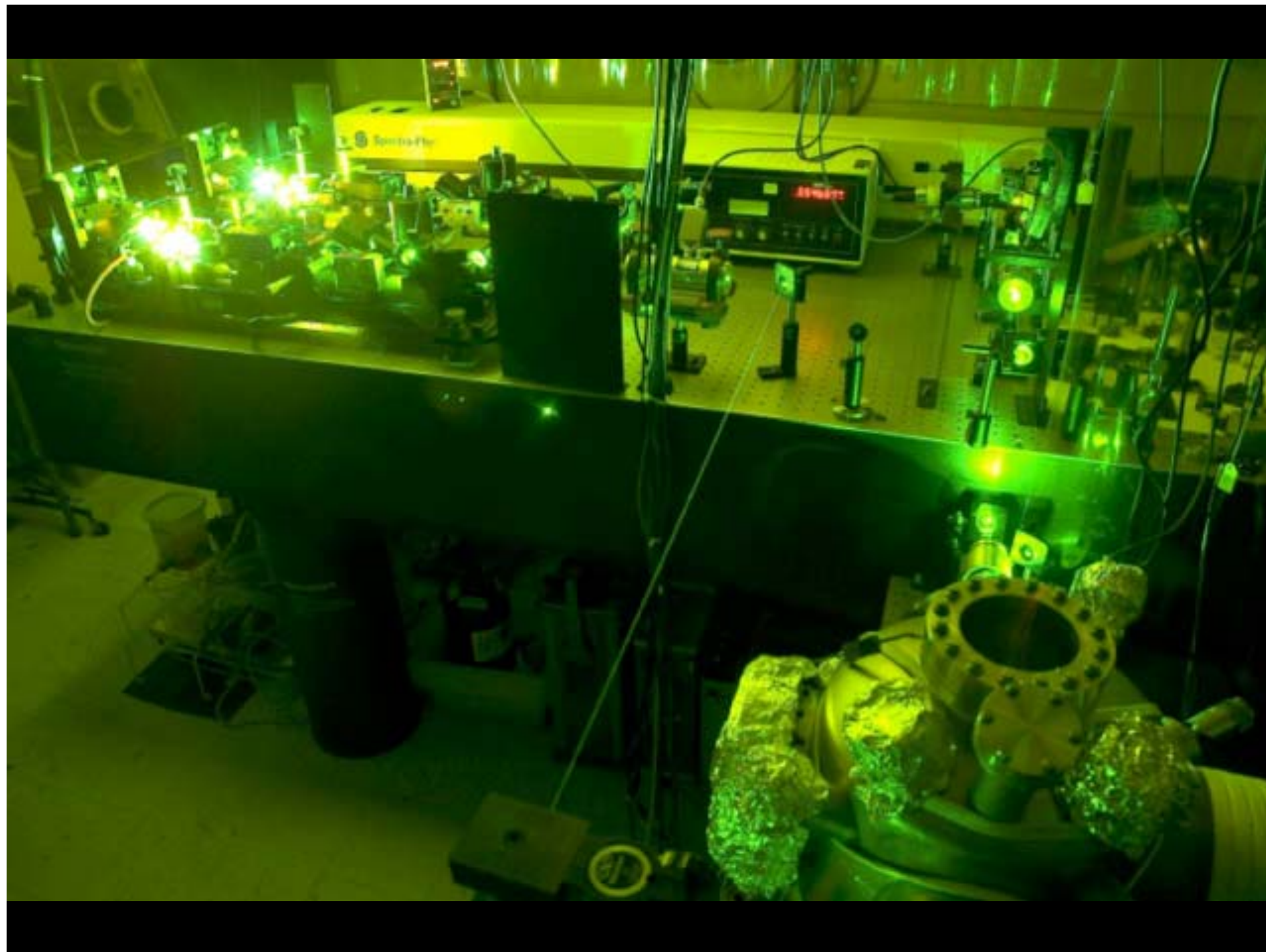


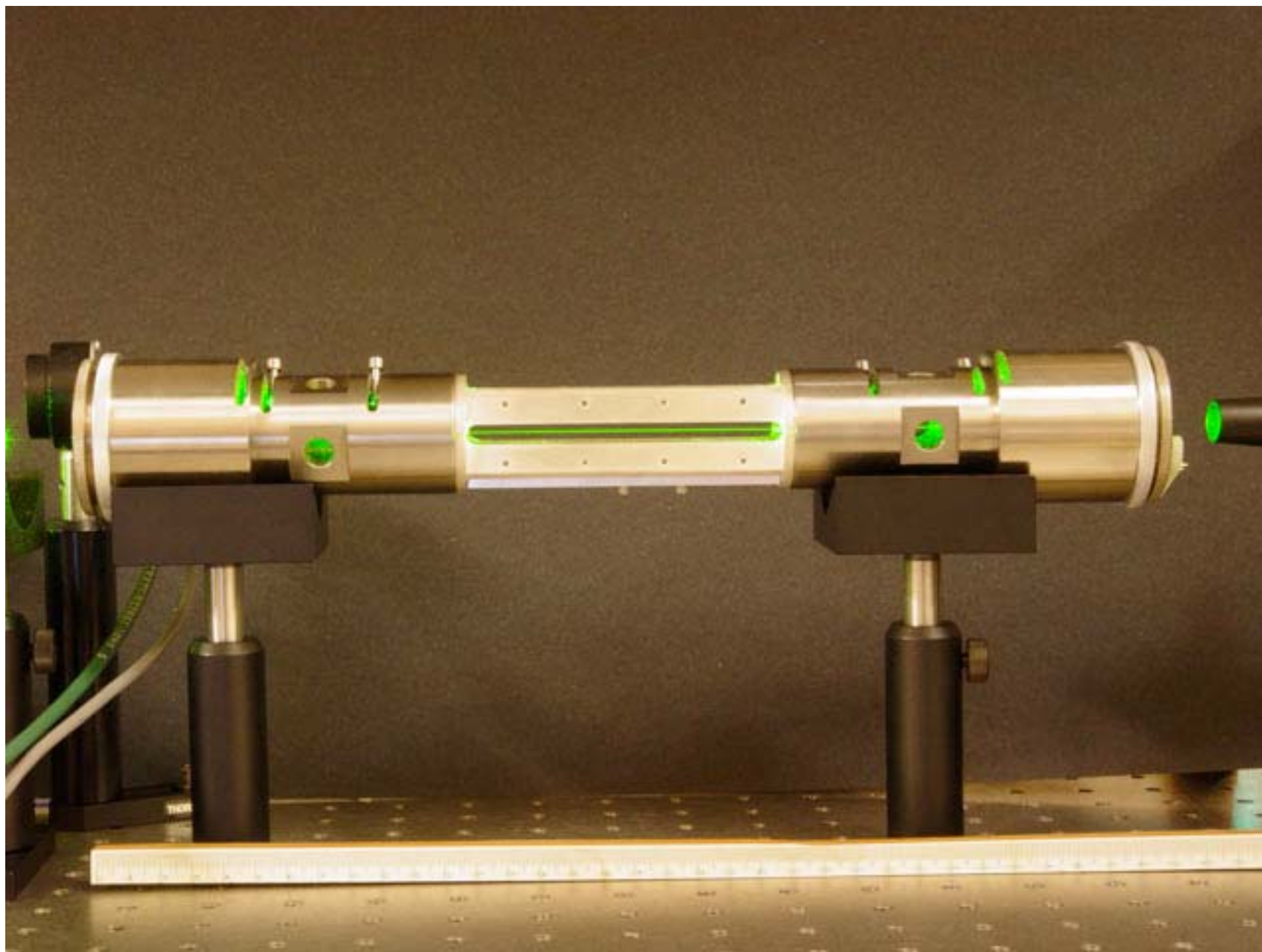
New Apparatus: Laser linewidth

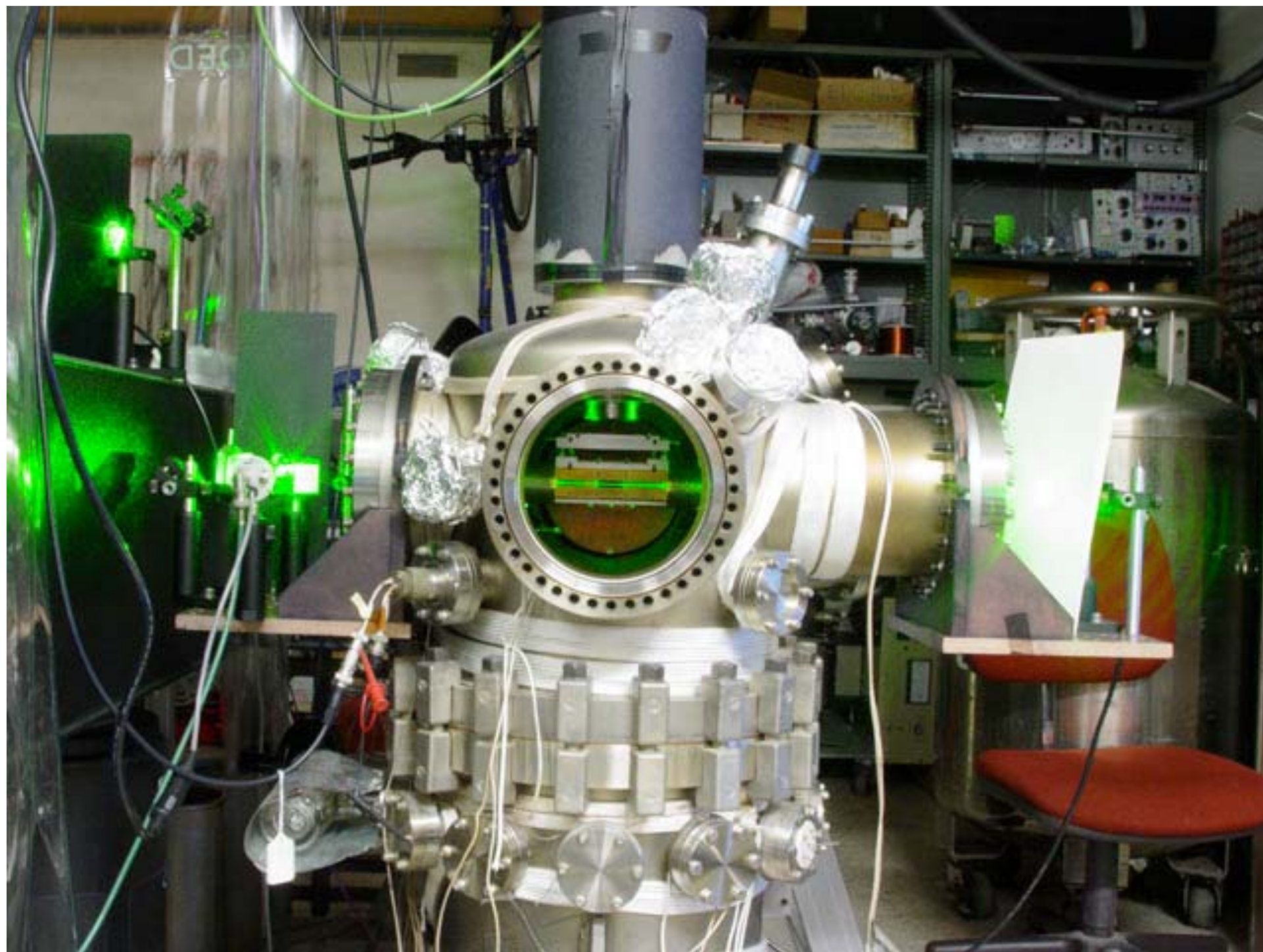
FFT of Two-Laser Beat Signal

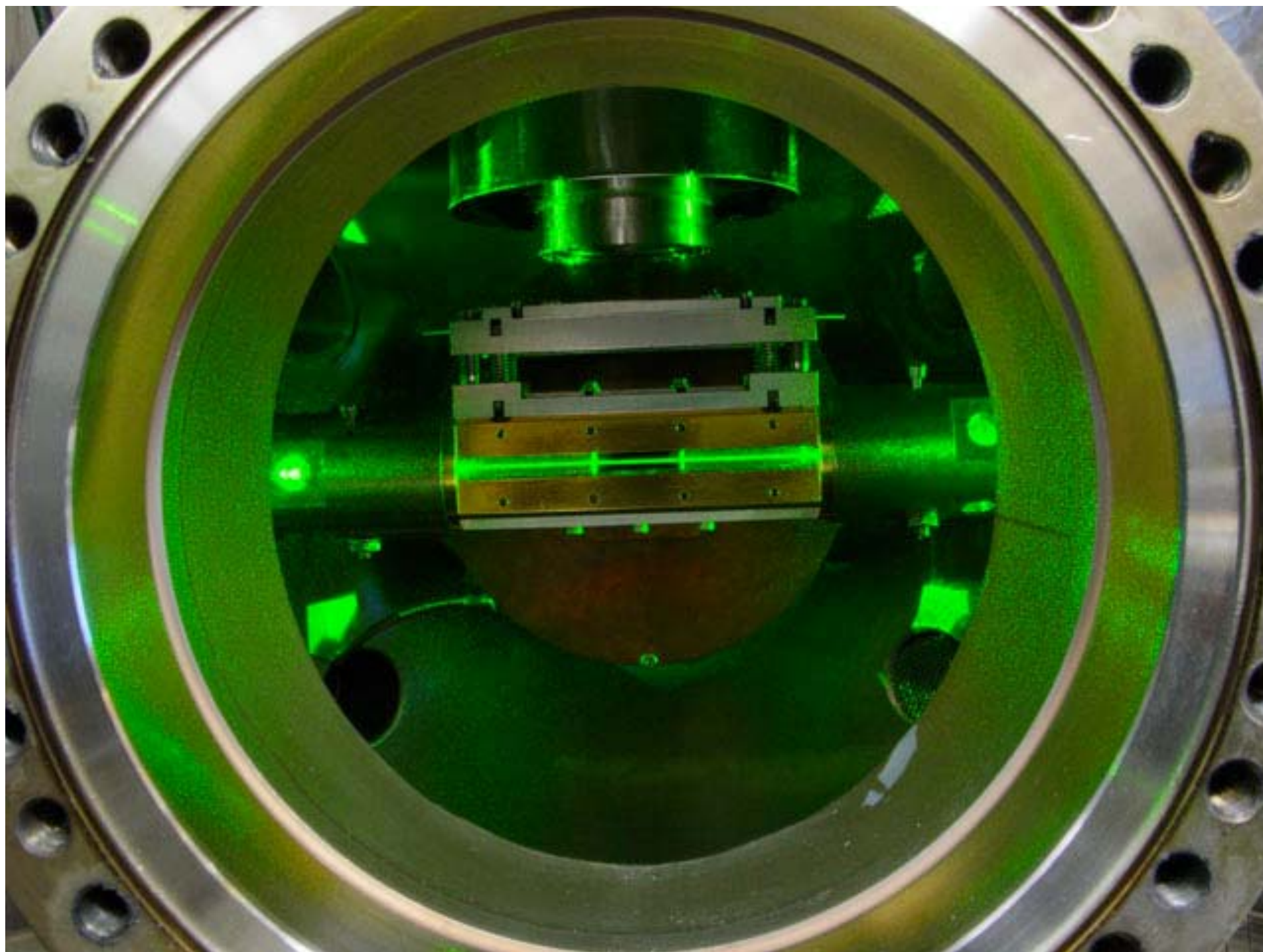


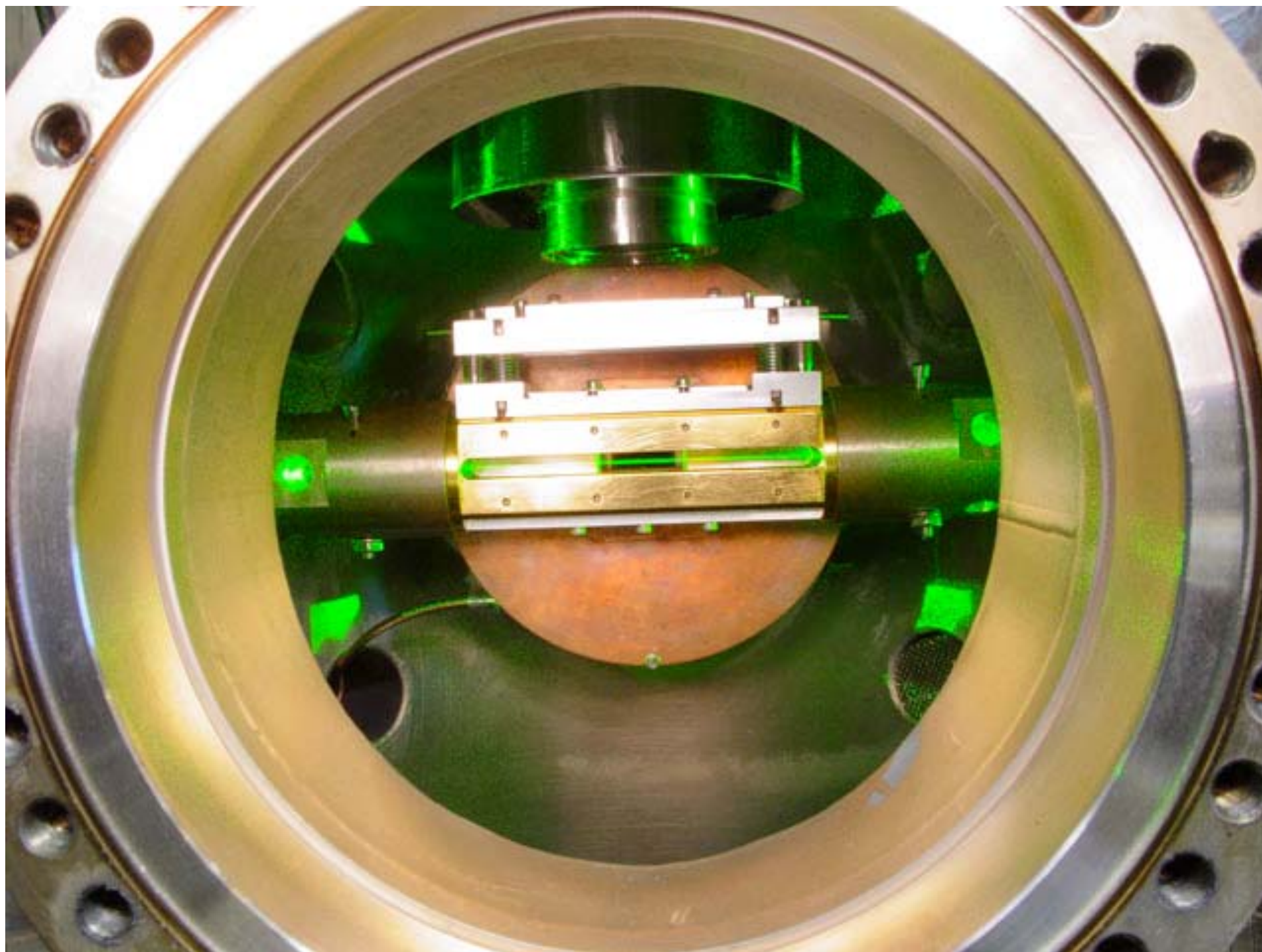


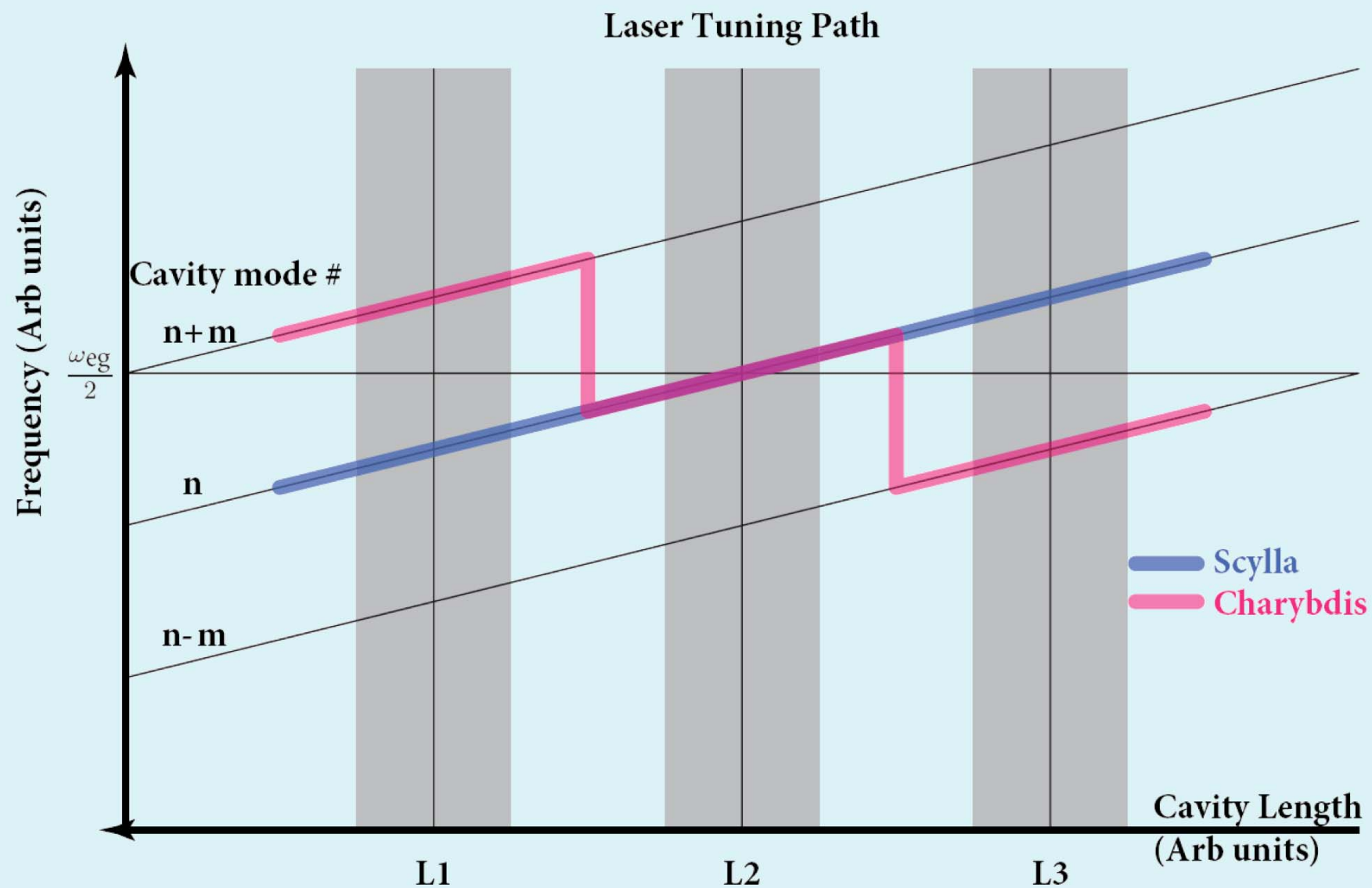


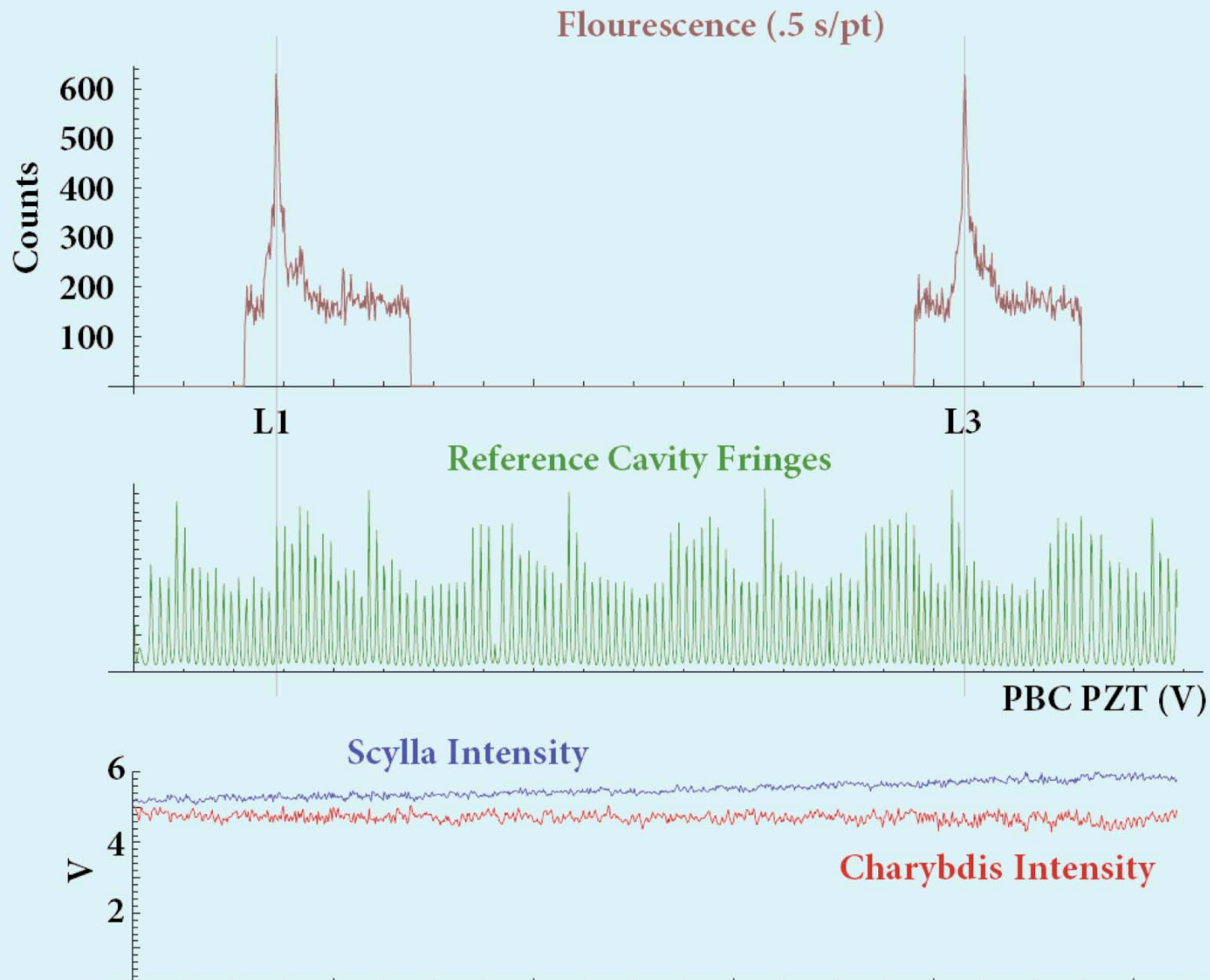






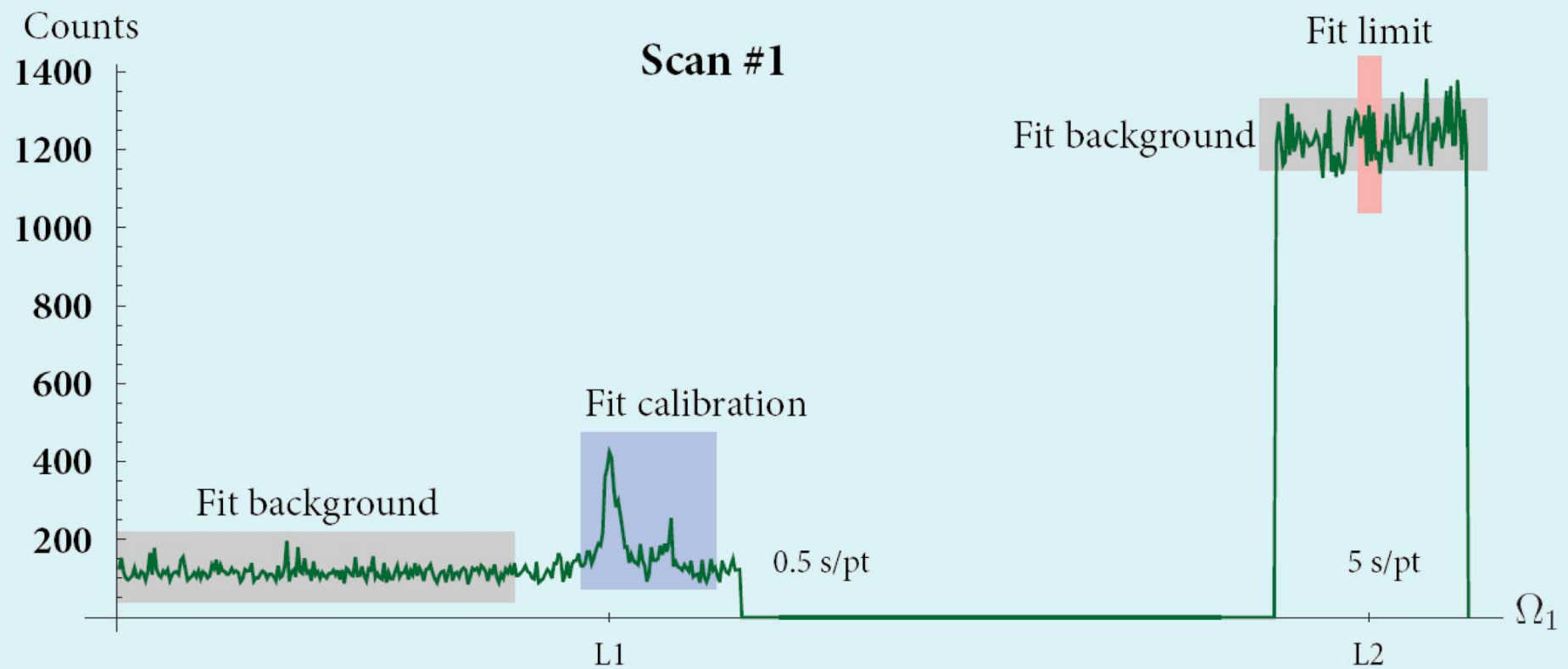






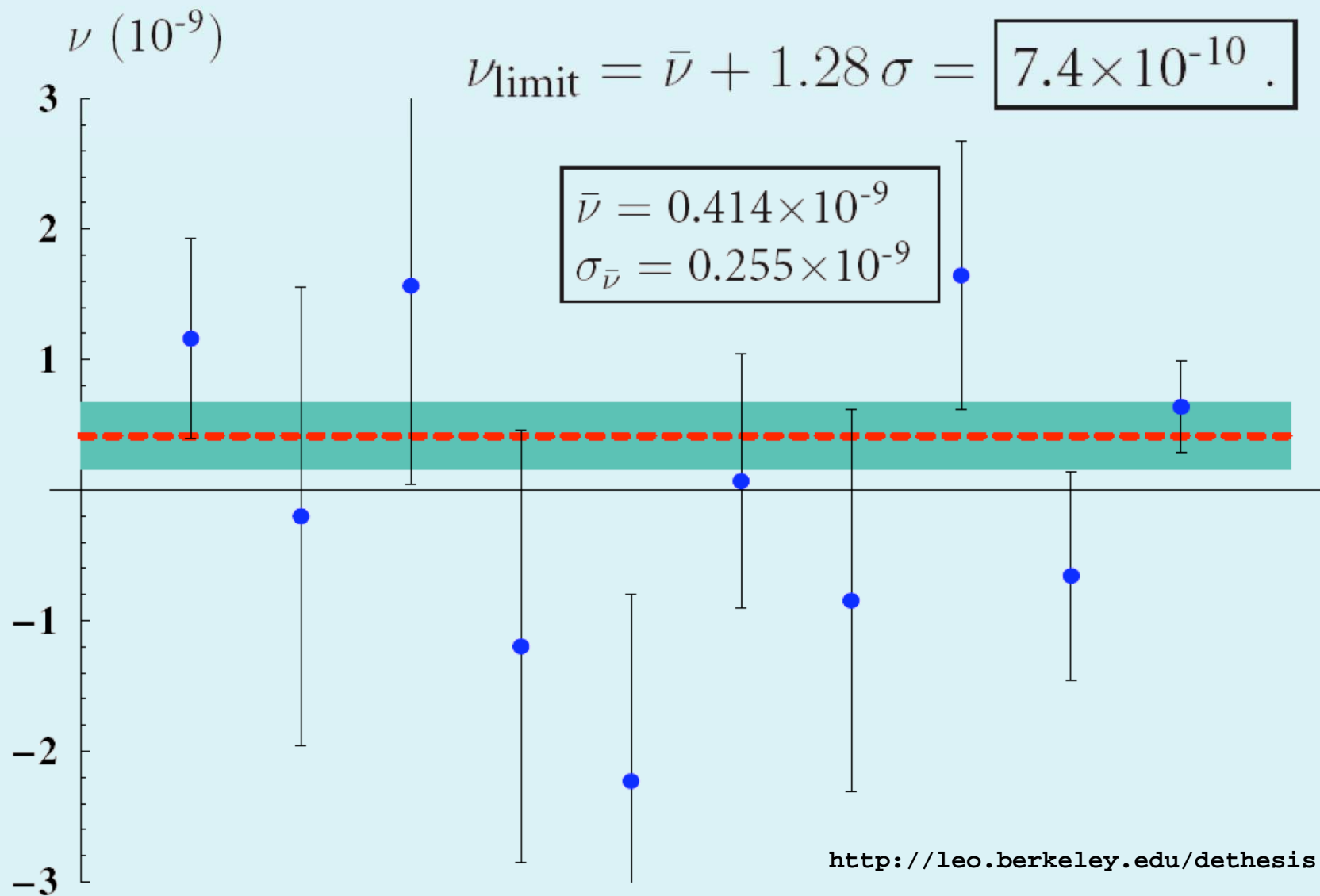


One scan.





2007 Result (90% CL)



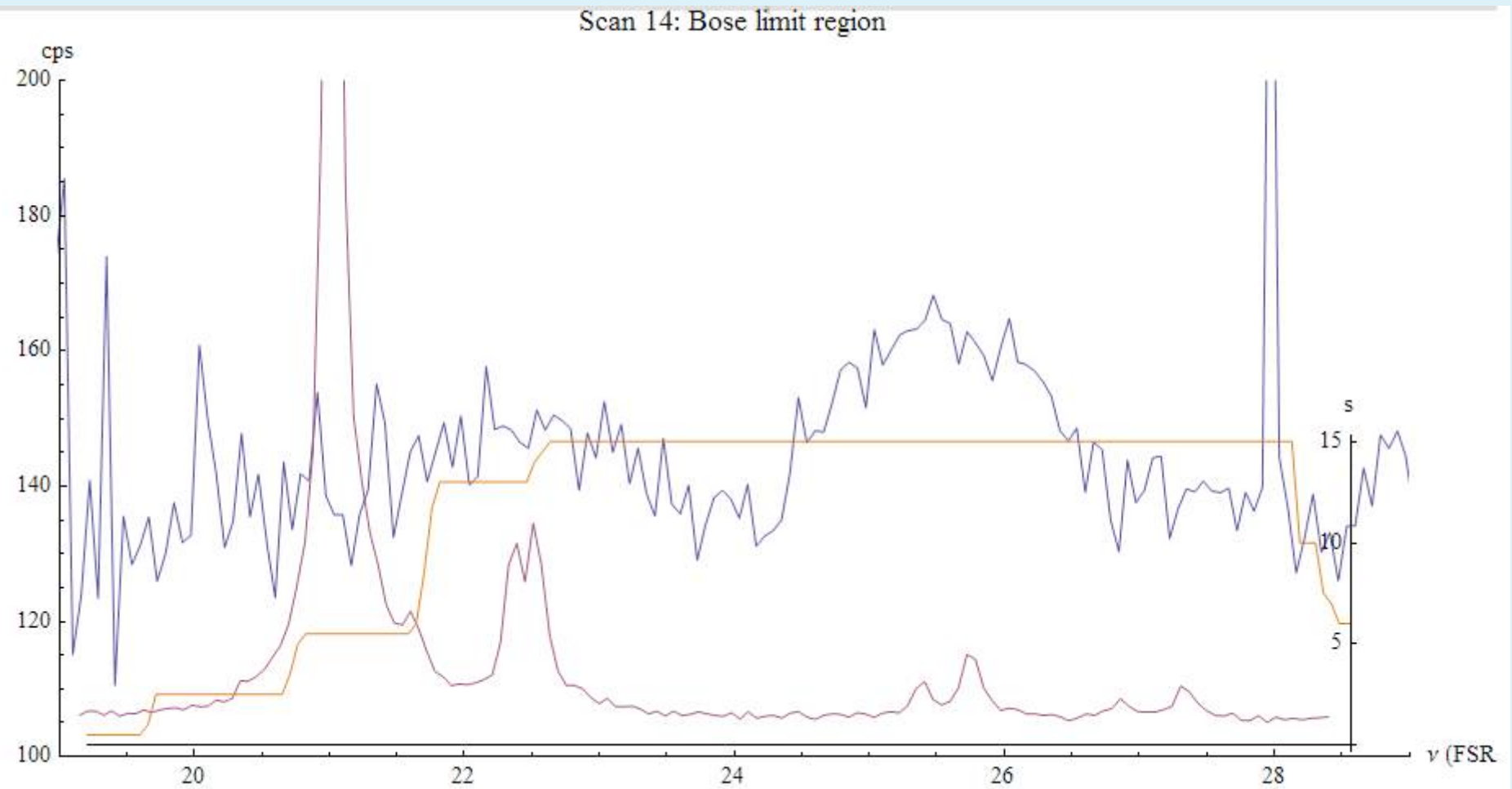


Since 2007...

- Better light-collection
- Tighter focused laser beams
- New Dye pump
- ... + many more small improvements



Raw data from one day's run, $\nu=1 \times 10^{-10}$





Conclusions

- 3 OOM improvement over DeMille et al. (1999)
- 1 to 2 more OOM to come in relatively short time.

Greetings from the Budker group!

